

## Modeling for drying kinetics of papaya fruit using fuzzy logic table look-up scheme

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### Abstract

Drying kinetics of papaya fruit slices at 40, 50 and 60°C were investigated in a laboratory cabinet dryer. A fuzzy logic table look-up scheme consists of three input variables with 10, 5 and 4 fuzzy sets as well as one output consisting 21 fuzzy sets was designed and used to model the drying kinetics. Mamdani's fuzzy inference system (FIS) with 56 independent rules was used to conduct fuzzy set operations. It was found that the drying process occurred in a falling rate over the drying duration. The effective diffusivity of papaya slices was within the range of  $6.93 \times 10^{-10}$  to  $1.50 \times 10^{-9}$  m<sup>2</sup>/s over the temperature range. The activation energy was 32.5 kJ/mol, indicated the effect of temperature on the diffusivity. The high values of R<sup>2</sup> (0.977-0.999) in addition with the low values of RMSE (0.013-0.065) obtained for the designed FIS, indicated the high performance of fuzzy logic table look-up scheme to model the drying kinetics of thin-layer papaya slices.

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### Keywords

Fuzzy inference system

Modeling

Effective diffusivity

Activation energy

### Introduction

Papaya also called Papaw or Pawpaw is an edible melon-like fruit of tropical and subtropical lands. It is juicy and sweet with taste like as cantaloupe (Morton, 1987). Due to high content of vitamin C, K<sup>+</sup>, carotenoid and fibers, it has been ranked at the top of fruits (Liebman, 1992). Papaya fruit is widely produced in some countries such as Brazil, Nigeria, India, Mexico and Indonesia. According to the FAO reports, about 6.5 million tons papaya were produced in 2005 (Fernandes *et al.*, 2008). In Iran, papaya is grown in Bahowkalat City, Balowchestan province. In 2005, only 480 tones papaya were produced in Iran.

Drying is one of the main operations in the processing chain for reducing spoilage of the agricultural products, especially for susceptible crops such as papaya. Drying process controls enzymatic and microbial activities within the fruits by reducing their water content. Furthermore, the dried fruits occupy less space and are more easily handled (Izadifar and Mowla, 2003). In characterizing drying parameters, thin layer drying procedure was found to be the most feasible tool. There are three types of thin-layer drying model namely: theoretical, semi-

theoretical and empirical models (Demirats *et al.*, 1998; Midilli *et al.*, 2002). The theoretical model depends on physical characteristics of grains. The empirical model neglects the fundamentals of drying process and presents a direct relationship between average moisture and drying time by means of regression analysis (Ozdemir and Devres, 1999). Semi-theoretical is a tradeoff between the theoretical and empirical models, and is derived from Fick's second law of diffusion and is used in the form of the Page model, Modified Page model, Henderson model and others. Kingsly and Singh (2007) studied thin-layer drying process of pomegranate arils at three different drying temperatures (50, 55 and 60°C) in a cabinet dryer and found that the data followed the Page model at all the three temperatures.

Nowadays, artificial intelligent method has been developed and is extensively used for simulation of drying of agricultural and food materials (Tripathy and Kumar, 2009). Zadeh introduced fuzzy sets in 1965 to show a control data and information that possess non-statistical uncertainty (Zadeh, 1965). Fuzzy modeling is the most important issue around fuzzy theory. The fuzzy set is considered as a fuzzy model of a human concept. Indeed, fuzzy modeling system is a linguistic modeling scheme described

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with fuzzy quantities. These fuzzy quantities are expressed through fuzzy numbers or fuzzy sets associated with linguistic sign (Wang, 1997). Ioannou *et al.* (2004) developed a control system based on the fuzzy set theory to measure the product browning. Their model developed using Takagi-Sugeno method. Atthajariyakul and Leephakpreeda (2006) used adaptive fuzzy logic control for systematic determination of optimal conditions for fluidized bed paddy drying in order to guarantee good quality and consume energy efficiency. They concluded that the used method can be efficiently implemented in the real-time determination and control the optimal conditions for fluidized bed paddy drying system. Lertworasirikul (2008) investigated a comparative study on drying kinetics of semi-finished cassava crackers using empirical models, MFNN (Multilayer Feed forward Neural Network) and ANFIS (Adaptive-Network-based Fuzzy Inference System). It was found that among these models, MFNN was the most suitable for predicting moisture ratio of the product based on  $R^2$  and MSE statistical parameters. Zhenfeng *et al.* (2010 a, b) used fuzzy logic systems to improve microwave drying of apple and carrot in terms of volatiles control. Yousefi *et al.*, (2012) compared two modeling methods of mathematical and ANN (Artificial neural networks) to estimate moisture content of papaya fruit slices during hot air drying. They found that estimation of moisture content of papaya fruit could be better modelled by a neural network ( $R^2 = 0.9994$  and  $RMSE = 0.0070$ ) than by the mathematical models ( $R^2 = 0.9974$  and  $RMSE = 0.0123$ ).

In this study drying kinetics on papaya was investigated. To estimate the moisture content of papaya fruit slices (with 3, 5 and 7 mm thickness) during hot-air drying process at selected temperatures (40, 50 and 60°C), type-1 fuzzy logic modeling system based on table look-up scheme was conducted and the performance of that was evaluated based on the  $R^2$  and RMSE statistical parameters. In addition, effective moisture diffusivity and activation energy of papaya fruit slices were calculated.

## Materials and Methods

### Experimental study

Papaya fruits were purchased from a local market of Bahookalat region and stored in a refrigerator at  $4 \pm 1^\circ\text{C}$  prior to subjecting them to the drying process. Fruits were washed, peeled and cut into slices with different thicknesses of 3, 5 and 7 mm. A cabinet dryer (Model JE10 TECH, F-02G, South Korea) with controllable airflow, temperature and air humidity

monitoring systems was used for hot air-drying process. The absolute humidity and the hot-air flow ratio for all drying temperatures were  $0.6 \pm 0.02$  g/kg dry air and 1.0 m/s, respectively. The initial moisture content of papaya slices was measured using a laboratory oven dryer (Galenkamp, UK) operating at 105°C, obtained  $84.48\% \pm 0.05\%$  (w. b.). The weight of the samples was consecutively recorded by a programmable balance software in 5 min intervals until the moisture content of the samples reached to  $15 \pm 0.02\%$  (w. b.) in dried product. Drying process was carried out at three levels of temperature (40, 50 and 60°C). Moisture ratio (MR) variations with time were plotted for various conditions. The MR was defined by:

$$MR = \frac{M - M_e}{M_0 - M_e} \quad (1)$$

Where,  $M$  and  $M_0$  are the moisture content and initial moisture content of the samples, respectively. The moisture ratio equation was simplified to  $M/M_0$  as the value of  $M_e$  (equilibrium moisture content) is relatively small compare to  $M$  or  $M_0$  (Akgun and Doymaz, 2005).

### Membership functions and fuzzy table look-up scheme

In brief, a fuzzy inference system (FIS) consists of four main parts: fuzzification, fuzzy rules' base, fuzzy output engine and defuzzification. Fuzzification converts a special input data to ranks of membership by a look-up in one or more various membership functions. Instead of completely pertain to a single set, in a fuzzy logic system, partial pertaining of any objects to different subsets is considered. A membership function numerically describes partial pertaining to a set of particular universe, which assumes values between 0 and 1 inclusive (Wang, 1997). Fuzzy membership functions can take several forms, but generally for practical implementations simple linear ones like triangular function are preferable (Tayfur *et al.*, 2003).

In this study the fuzzy logic table look-up scheme was used for estimating the papaya fruit moisture content using fuzzy logic toolbox of MATLAB (R2007b). This method was composed of four stages:

1. Definition of fuzzy sets to cover the input and output spaces:

Three inputs consist of drying time, temperature and thickness of the thin-layered papaya slices were divided into 10, 5 and 4 fuzzy sets, respectively. In addition, one output (Moisture ratio= $y$ ) consists of 21 fuzzy sets (Figure 1) was considered for designing a fuzzy logic based modelling system.

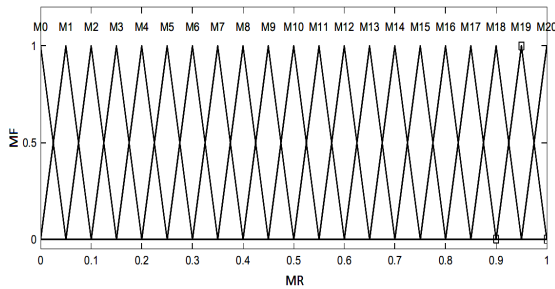


Figure 1. Fuzzy membership functions for output (MR) with 21 fuzzy sets

2.Generation of one fuzzy rule for each of n input-output pair:

Following relation shows input-output pairs by which a fuzzy rule can be generated:

$$(x_1^p, x_2^p, x_3^p, y_1^p) \Rightarrow IF - THEN \text{ rules } p = 1, 2, \dots, n \quad (2)$$

Where  $x_1, x_2$  and  $x_3$  are the input variables and  $y$  is output variable and  $p$  is the number of each input-output pair. To overcome the problem of fuzzy sets overlap, the fuzzy variables were assigned to the membership function with the largest membership value.

3. Calculation of the degree of each rule generated in previous stage:

Due to the large number of input-output pairs, some conflicting rules were generated. In brief, these rules had the same IF parts but different THEN ones. To cope with this conflict, a degree was assigned to each generated rule, so the rule from a conflict group with the maximum degree was selected. Therefore, the conflict problem was resolved and also the number of the initial generated rules reduced. The degree of a rule was defined as follows:

$$D(\text{rule}) = \prod_{i=1}^n \mu_{A_i^j}(x_i^p) \mu_{B_i^p}(y^p) \quad (3)$$

Where,  $A_i^j$  is the  $j$ th membership function of the  $i$ th input,  $B_i^p$  is rule of output,  $l$  is the  $l$ th model output,  $p$  is index of rule,  $x_i^p$  and  $y^p$  are the  $i$ th input of  $p$ th rule and the  $p$ th rule of output variables (Wang, 1997).

4.Creation of the fuzzy rule base:

After removing the conflicting rules, the final fuzzy rule base was generated. In this work Mamdani's inference scheme was adopted due to its simplicity. In addition, minimum T-norm operator (Eq. 4) and the center of gravity defuzzifier were used in the fuzzy rule base.

$$T_{min}(a, b) = \min(a, b) = a \wedge b \quad (4)$$

Where, the  $a$  and  $b$  are two optional sets. The center of gravity defuzzifier specifies the  $y^*$  as the center of the area covered by membership function of  $B'$ , that is:

$$y^* = \frac{\int y \mu_{B'}(y) dy}{\int \mu_{B'}(y) dy} \quad (5)$$

Where  $\int$  is a conventional integral (Wang, 1997).

*Performance criteria*

The performance of the used fuzzy modelling system was evaluated based on the comparison between the predicted MR (from the fuzzy model) and experimental MR using  $R^2$  and RMSE statistical parameters (Eq. 6 and 7). A model with the maximum of  $R^2$  and the minimum of RMSE shows the best performance (Kingsly and Singh, 2007):

$$R^2 = \frac{\sum_{i=1}^N (MR_{exp,i} - \overline{MR}_{exp})^2 (MR_{pre,i} - \overline{MR}_{pre})^2}{\sum_{i=1}^N (MR_{exp,i} - \overline{MR}_{exp})^2 \sum_{i=1}^N (MR_{pre,i} - \overline{MR}_{pre})^2} \quad (6)$$

$$RMSE = \left[ \frac{1}{N} \sum_{i=1}^N (MR_{exp,i} - MR_{pre,i})^2 \right]^{1/2} \quad (7)$$

Where,  $MR_{exp,i}$  is the experimental moisture ratio at observation  $i$ ,  $MR_{pre,i}$  is the predicted moisture ratio at this observation,  $N$  is number of experimental data points,  $\overline{MR}_{exp}$  and  $\overline{MR}_{pre}$  are the average of sum of the  $MR_{exp,i}$  and  $MR_{pre,i}$  respectively.

**Results and Discussion**

*Drying characteristics*

Variation of MR with respect to drying time for the three thicknesses and three temperatures are shown in Figure 2a and Figure 2b, respectively. As the results, increasing the thickness from 3 to 7 mm approximately doubled the drying duration at 60°C drying temperature. The air temperature also had a direct effect on drying rate, as the air temperature increased from 40 to 60°C the drying duration was reduced to 100 min.

It is found that there was no constant rate drying period in the drying kinetics of papaya slices, and all drying process occurred in the falling rate period. This matter indicates that diffusion is the controlling physical mechanism regulating moisture transfer in the sample slices. The similar results were reported by Kaymak-Ertekin (2002) for green and red peppers, Sogi *et al.*, (2003) for tomato seeds and Doymaz (2007) for pumpkin.

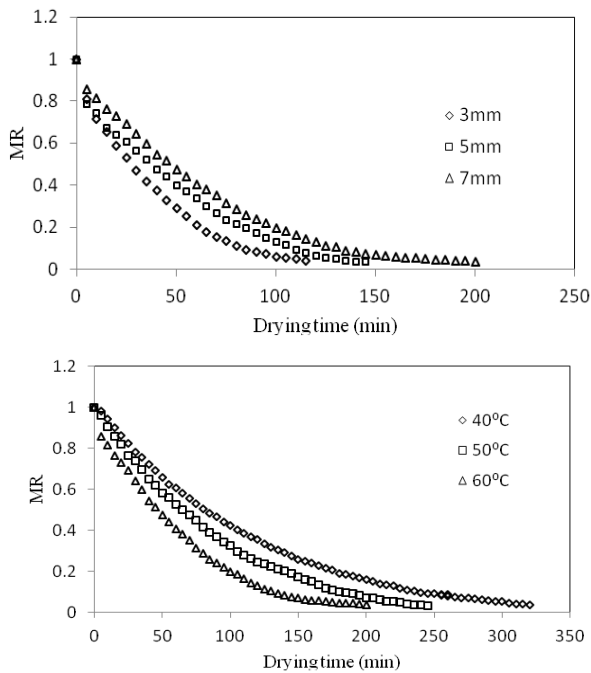


Figure 2. The effect of different (a) thicknesses (at 60°C) and (b) drying temperatures (for the slices with thickness of 7 mm) on moisture ratio

#### Evaluation of the fuzzy logic look-up table scheme drying model

Based on the structure of fuzzy inference system, firstly, by passing the fuzzifier section the fuzzy values are made from the input information by membership functions (Figure 1). Finally, in defuzzification section, obtained fuzzy outputs from the fuzzy inference engine were converted to a number. For drying modelling using FIS, only 15% of the data were used for training or calibrating the system. This training was conducted through 56 rules in which drying time, drying temperature and thickness of the sample slices were related to MR. The antecedent part of the rule (the part starting with IF, up to THEN) included a statement on the drying time, drying temperature and thickness of the sample slices while the consequent part (the part starting with THEN, up to the end) included a statement on MR. It was found that 22 conflicting groups were generated, which by comparison of D (rule) among each group of rules, the rules with the lower D (rule) were removed (Table 1).

At the next stage, through the generated fuzzy rules in the fuzzy rule base, a set of inputs transformed to corresponding set of output. The results of drying modeling at different drying temperature and samples slices based on fuzzy logic table look-up scheme are shown in Table 2. High value of  $R^2$  (0.977-0.999) in addition with the low value obtained for RMSE (0.013-0.065) relating to the experimental and predicted data demonstrated the high performance

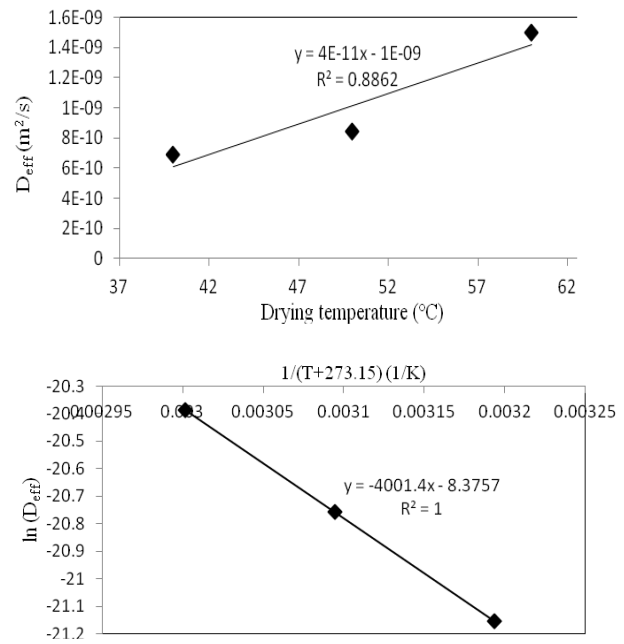


Figure 3. Influence of drying temperature on the (a) effective diffusivity of water in papaya slices and (b) effective diffusivity

of the generated fuzzy logic table look-up scheme to determine MR during drying at each temperature and thickness. As the results show, the closest predicted data obtained from FIS to the experimental data was at 60°C-7 mm thickness ( $R^2=0.999$  and  $RMSE=0.013$ ) while in contrary the lowest performance attained at 50°C-7 mm thickness ( $R^2=0.977$  and  $RMSE=0.065$ ). Yousefi *et al.* (2012) reported that MLP networks could be efficiently used for predicting MR of thin-layer papaya fruit slices ( $R^2 = 0.9994$  and  $RMSE=0.0070$ ). It should be noted that although the reported performance for ANN modeling was slightly more than the fuzzy modeling system used in this study, but they used 60% of the data for network training compared to 15% for the fuzzy modeling system. This comparison obviously indicates the remarkable ability of fuzzy modeling system for modeling of drying process. Rahman *et al.* (2012) reported that the adaptive neuro-fuzzy (ANFIS) modeling system can be used to predict the effective of thermal conductivity for various food materials. They demonstrated that ANFIS model could predict that value more closely to the experimental data compared to mathematical and conventional ANN models. Similar results were reported for estimating effective diffusivity using Takagi-Sugeno fuzzy model for mango slices (Vaquiro *et al.*, 2008). Ganjeh *et al.* (2013) reported that the combination of fuzzy logic and neural networks is a suitable and reliable method for modeling and prediction of drying kinetics of onion and similar product. Al-Mahasneh

Table 1. Examples of calculated D (rule) to remove inconsistency rules

x1 (Drying time)	x2 (Drying temp.)	x3 (Thickness)	y (MR)	D (rule)
t1	T1	TH1	M13	0.64 (Removed)
t1	T1	TH1	M12	0.87
t1	T3	TH3	M11	0.75(Removed)
t1	T3	TH3	M13	0.91
t1	T3	TH1	M9	0.63
t1	T3	TH1	M7	0.52 (Removed)

Table 2. The statistical parameters for fuzzy logic based modelling system

Temperature (°C)	Thickness (mm)	R <sup>2</sup>	RMSE
40	3	0.997	0.021
	5	0.998	0.014
	7	0.995	0.021
50	3	0.997	0.046
	5	0.996	0.022
	7	0.977	0.065
60	3	0.991	0.038
	5	0.999	0.015
	7	0.999	0.013

et al. (2013) used a fuzzy model to model open sun drying of roasted green wheat. Their results showed a much better performance of fuzzy model compared to conventional models with a much lower value of root mean square error ( $1.2 \times 10^{-6}$ ).

Calculation of effective diffusivity

From the experimental data, internal mass transfer resistance was observed because of falling rate drying period. Fick’s diffusion equation analyzed the drying data in the falling rate period. Crank (1975) solved this equation and introduced the following equation which can be used for slab geometry with uniform initial moisture diffusion, constant diffusivity and insignificant shrinkage:

$$MR = \frac{8}{\pi^2} \sum_{n=0}^{\infty} \frac{1}{(2n+1)^2} \exp\left(-\frac{(2n+1)^2 \pi^2 D_{eff} t}{4L^2}\right) \quad (8)$$

Where,  $D_{eff}$  is the effective diffusivity ( $m^2/s$ );  $n$  is positive integer,  $t$  is drying time, and  $L$  is the half thickness of the slab in samples (m). In practice, only the first term Eq. (8) is used yielding:

$$MR = \frac{8}{\pi^2} \exp\left(-\frac{\pi^2 D_{eff} t}{4L^2}\right) \quad (9)$$

As it is obvious,  $D_{eff}$  can be calculated from the slope of Eq. (9) using natural logarithm plot of MR versus drying time. The calculated  $D_{eff}$  values for different drying temperatures at 3 mm thickness are shown in Figure 3a.  $D_{eff}$  value for papaya slices increased with air temperature. This value was  $6.93 \times 10^{-10}$ ,  $8.46 \times 10^{-10}$  and  $1.50 \times 10^{-9}$   $m^2/s$  for 40, 50 and 60°C drying temperatures, respectively. Madamba et al. (1996) reported that the  $D_{eff}$  value for food materials is within the range of  $10^{-11}$  to  $10^{-9}$ . The obtained results were in agreement with the results

of Kaleemullah and Kailappan (2005), Sacilik et al. (2006) and Doymaz (2007).

Calculation of activation energy

From the Arrhenius type of relationship, the dependence of  $D_{eff}$  can be explained (Simal et al., 1996). This matter is shown in the following equation:

$$D_{eff} = D_0 \exp\left(-\frac{E_a}{R(T+273.15)}\right) \quad (10)$$

Where  $D_0$  is the pre-exponential factor of Arrhenius equation ( $m^2/s$ ),  $E_a$  is the activation energy (kJ/mol),  $T$  is the drying temperature (°C) and  $R$  is the gas constant (kJ/mol K).

The  $E_a$  can be calculated from the slope of the plot on  $\ln(D_{eff})$  vs.  $1/(T+273.15)$  (Figure 3b). This value was 32.5 (kJ/mol) for papaya slices with 3 mm thickness. This obtained value was lower than the  $E_a$  green peppers drying (51.4 kJ/ mol) (Kaymak-Ertekin, 2002), mint drying (82.93 kJ/mol) (Park et al., 2002) and higher than red chillies drying (24.47 kJ/ mol) (Kaleemullah and Kailappan, 2005).

Conclusions

In this study, drying kinetics of papaya fruit slices at three drying temperatures and thicknesses in a cabinet dryer were investigated. Like most of food materials, papaya slices had not constant drying rate and drying process entirely occurred in falling rate period. High value of  $R^2$  (0.977-0.999) in addition with the low value obtained for RMSE (0.013-0.065) indicated the high performance of the generated fuzzy

logic table look-up scheme to estimate MR during drying at each temperature and thickness. According to the results, fuzzy logic artificial intelligence is a robust system that can be used as an alternative technique to model complex process like drying. The obtained effective diffusivity for papaya fruit slices was within the range of  $6.93 \times 10^{-10}$  to  $1.50 \times 10^{-9}$  m<sup>2</sup>/s over the temperature range. It was found that, effective diffusivity increased with increasing drying temperature. The activation energy for papaya slices with 3 mm thickness was found to be 32.5 kJ/mol using Arrhenius equation type.

## References

- Akgun, N. and Doymaz, I. 2005. Modeling of olive cake thin-layer drying process. *Journal of Food Engineering* 68: 455-461.
- Al-Mahasneh, M. A., Rababah, T. M., Bani-Amer, M. M., Al-Omari, N. M. and Mahasneh, M. K. 2013. Fuzzy and conventional modeling of open sun drying kinetics for roasted green wheat. *International Journal of Food Properties* 16: 70-80.
- Atthajariyakul, S. and Leephakpreeda, T. 2006. Fluidized bed paddy drying in optimal conditions via adaptive fuzzy logic control. *Journal of Food Engineering* 75: 104-114.
- Crank, J. 1975. *The mathematics of diffusion*. Clarendon Press, Oxford, UK.
- Demirats, C., Ayhan, T. and Kaygusuz, K. 1998. Drying Behavior of Hazelnuts. *Journal of the Science of Food and Agriculture* 76: 559-564.
- Doymaz, I. 2007. The kinetics of forced convective air-drying of pumpkin slices. *Journal of Food Engineering* 79: 243-248.
- Fernandes, F., Oliveira, F. and Rodrigues, S. 2008. Use of ultrasound for dehydration of papayas. *Food and Bioprocess Technology* 1: 339-345.
- Ganjeh, M., Jafari, S. M., Ghanbari, V., Dezyani, M., Ezzati, R. and Soleimani, M. 2013. Modeling the drying kinetics of onion in a fluidized bed drier equipped with a moisture controller using regression, fuzzy logic and artificial neural networks methods. *Iranian Journal of Nutrition Sciences & Food Technology* 7: 399-407.
- Ioannou, I., Perrot, N., Curt, C., Mauris, G. and Trystram, G. 2004. Development of a control system using the fuzzy set theory applied to a browning process—a fuzzy symbolic approach for the measurement of product browning: development of a diagnosis model—part I. *Journal of Food Engineering* 64: 497-506.
- Izadifar, M. and Mowla, D. 2003. Simulation of cross-flow continuous fluidized bed dryer for paddy rice. *Journal of Food Engineering* 58: 325-329.
- Kaleemullah, S. and Kailappan, R. 2005. Drying kinetics of red chillies in rotary dryer. *Biosystem Engineering* 92: 15-23.
- Kaymak-Ertekin, F. 2002. Drying and rehydrating kinetics of green and red peppers. *Journal of Food Science* 67: 168-175.
- Kingsly, A. R. P. and Singh, D. B. 2007. Drying kinetics of pomegranate arils. *Journal of Food Engineering* 79: 741-744.
- Lertworasirikul, S. 2008. Drying kinetics of semi-finished cassava crackers: A comparative study. *Food Science and Technology* 41: 1360-1371.
- Li, Z., Vijaya Raghavan, G. S. and Wang, N. 2010. Apple volatiles monitoring and control in microwave drying. *Food Science and Technology* 43: 684-689.
- Li, Z., Vijaya Raghavan, G. S. and Wang, N. 2010. Carrot volatiles monitoring and control in microwave drying. *Food Science and Technology* 43: 291-297.
- Liebman, B. 1992. Nutritional aspects of fruit. *Nutrition Action Newsletter*. 1: 10-11.
- Midilli, A., Kucuk, H. and Yapar, Z. A. 2002. New Model for Single-layer Drying. *Drying Technology* 20: 1503-1513.
- Morton, J. 1987. Papaya. In: *Fruits of Warm Climates*, (J.F. Morton) pp. 336-346, Florida Flair Books, Miami.
- Ozdemir, M. and Devres, Y. 1999. The thin layer drying characteristics of hazelnuts during roasting. *Journal of Food Engineering* 42: 225-233.
- Park, K. J., Vohnikova, Z. and Brod, F. P. R. 2002. Evaluation of drying parameters and desorption isotherms of garden mint leaves (*Mentha crispa* L.). *Journal of Food Engineering* 51: 193-199.
- Rahman, M. S., Rashid, M. M. and Hussain, M. A. 2012. Thermal conductivity prediction of foods by Neural Network and Fuzzy (ANFIS) modeling techniques. *Food and Bioprocess Technology* 90: 333-340.
- Sacilik, K., Keskin, R. and Elicin, A. 2006. Mathematical modeling of solar tunnel drying of thin layer organic tomato. *Journal of Food Engineering* 73: 231-238.
- Simal, S., Mulet, A., Tarrazo, J. and Rosello, C. 1996. Drying models for green peas. *Food Chemistry* 55: 121-128.
- Sogi, D. S., Shivhare, U. S., Garg, S. K. and Bawa, A. S. 2003. Water sorption isotherms and drying characteristics of tomato seeds. *Biosystem Engineering* 84: 297-301.
- Tayfur, G., Ozdemir, S. and Singh, V. P. 2003. Fuzzy logic algorithm for runoff-induced sediment transport from bare soil surfaces. *Advance Water Resource* 26: 1249-1256.
- Tripathy, P. P. and Kumar, S. 2009. Neural network approach for food temperature prediction during solar drying. *International Journal of Thermal Sciences* 48: 1452-1459.
- Vaquiro, H. A., Bon, J. and Diez, J. L. 2008. Fuzzy logic application to drying kinetics modeling. 17th IFAC World Congress, COEX, Korea, South, 2206-2211.
- Wang, L. X. 1997. *A course in fuzzy systems and control*. Prentice-hall international, Inc, 153-167.
- Yousefi, A. R., Asadi, V., Nassiri, S. M., Niakousari, M. and Khodabakhsh Aghdam, S. 2012. Comparison of mathematical and neural network models in the estimation of papaya fruit moisture content. *Philippine Agricultural Scientist* 95: 192-198.
- Zadeh, L. A. 1995. Fuzzy sets. *Information Control* 8: 338-353.